Compton sources with orbital angular momentum

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Thanks to: C. Maroli, A. Bacci, C. Vaccarezza, A. Rossi, C. Curatolo, M. Rossetti, P. Dattoli

and also to all the _________

and ELI-NP groups

Introduction on Compton scattering





Generalities on Compton scattering, frequency-angle correlation



Frequency-angle correlation

Generalities on Compton scattering, collimation



Large natural spectrum

The energy-angle correlation permits the control of bandwidth and divergence

By introducing irides or collimators one can diminish the bandwidth, by selecting the photons close to the axis

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Effect of the collimator



Generalities on Compton scattering, polarization

In nuclear photonics experiments, the kinematics of neutrons is strongly influenced by the polarization of the gamma rays



Polarization: ELI-NP case

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Polarization of x-gamma radiation produced by a Thomson and Compton inverse scattering

V. Petrillo^{1,2} A. Bacdi,² C. Caratolo^{1,2} J. Drebot,² A. Giribono,⁴ C. Maroli,¹ A. R. Rossi,² L. Senfini, P. Tomasini, ¹ C. Vaccaerza,² and A. Variola² ¹Diffy Education Media Science and Constraints, 2013 Milano, Roby ¹Diffy Education Milano, via Colora 16, 2013 Milano, Via Milano,

E=234-529 MeV Q=250 pC ϵ =0.5 mm mrad $\Delta E/E=7 \ 10^{-4}$ λ =520 nm E_L=0.2-0.4 J δ =8° w₀=28 µm E_{ph}=2-10 MeV

Total intensity I on the screen at 1 m E_{ph} =10 MeV



2 10-3

-2 10-3

0

x/R

2 10-3

2 10-3

n

x/R

Stokes parameter $\frac{(|E_x|^2 - |E_y|^2)}{(|E_x|^2 + |E_y|^2)}$

2 10-3

-2 10-3

Polarization: ELI-NP case

With a linear polarization of the laser:

÷.





Total intensity

on the screen at 1 m, the circle is $1/\gamma$

Stokes parameter ($|E_x|^2 - |E_y|^2$)/ ($|E_x|^2 - |E_y|^2$)

Orbital Angular Momentum (OAM)

Why studying radiation with orbital angular momentum?

Additional degree of freedom

In exp. of photoinization forbidden decays can be excited, molecules in rotational states can resonate in vortex, dipolar and quadrupolar transition can be distinguished.

Pilot experiment with FEL in infrared



FIG. 1 (color online). Arrangement for generating OAM light in an FEL.

Hemsing, E.; Dunning, M.; Hast, C.; Raubenheimer, T.; Xiang, D. First Characterization of Coherent Optical Vortices from Harmonic Undulator Radiation. Phys. Rev. Lett. **2014**, 113, 134803.



 $s = \frac{1}{2}\hbar$ $j = s + m\hbar$

How to approach the X/gamma range?

Proposals for OAM X-beams are based on manipulation of electrons in FEL emission. The electrons are treated in such a way that they carry OAM and tranfer it to the radiation.

Orbital Angular Momentum (OAM), scheme of the source



'Wild type' electron beam generated by linac

Orbital Angular Momentum, laser structure

0.2

-0.2 -

-0.2

x(

y(mm) 0

Expression and propagation of an OAM laser mo

L. Allen, M. W. Beijersbergen, R. J. C. Spreeuw, and J. P. Woerdman, Phys. Rev. A 45, 8185 (1992).

$$\underline{\tilde{E}}_{L}(x,y,z,t) = \underline{e}_{y}f(z+ct)E_{m}(x,y,z)e^{i(\omega t+k_{x}z)}$$

$$H_m(\xi, \alpha) = m! \sum_{r=0}^{[m/2]} \frac{\alpha^r \xi^{m-2r}}{r!(m-2r)!}$$

$$\xi = \frac{1}{w_0} \left[\left(\frac{w_0}{w_z} \right)^2 (x + i\varepsilon y) - (x_0 + i\varepsilon y_0) \right]$$
$$\alpha = \frac{i}{2} (1 - \varepsilon^2) \frac{\lambda z}{w_z^2}.$$

OAM laser modes are generated with fork holograms or phase masks

A laser mode
rdman, Phys. Rev.

$$E_{m,}(x, y, z) = \pi \left(\frac{w_0}{w_z}\right)^2 H_m(\xi, \alpha) e^{-\frac{\pi^2 + y^2}{2w_z^2}}$$

$$f_{m,}(z, y, z) = \pi \left(\frac{w_0}{w_z}\right)^2 H_m(\xi, \alpha) e^{-\frac{\pi^2 + y^2}{2w_z^2}}$$

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$$f_{m,}(z, y, z) = \pi \left(\frac{w_0}{w_z}\right)$$

Orbital Angular Momentum, laser structure



Spiral phase plate

This is the most direct way to generate OAM. A glass plate with a refractive index n and azimuthally varying thickness changes the optical path length, generating the characteristic twisted phasefront.

π/2 converter

This method converts a diagonally aligned Hermite-Gauss mode into a Laguerre-Gauss mode by introducing a Gouy phase shift between the vertical and horizontal direction using two cylindrical lenses.

HG₁₀ HG₁₀



OAM laser modes are generated with fork holograms or phase masks

Spatial light modulator (SLM) The most convenient method today is based on digital holograms displayed on an SLM. This allows generation of light with arbitrary phase and amplitude, including OAM beams and their superpositions.

 $\frac{1}{\sqrt{2}} LG_{i}^{2} + \sqrt{\frac{1}{2}} LG_{i}^{2}$

Digital hologram

1/1

HG., HG.

Optical 'ferris wheel'

OAM Laser pulse, Milan Optics Laboratory, M. Potenza, B. Paroli et al.

See poster section

Spatial light modulator (SLM) The most convenient method today is based on digital holograms displayed on an 5LM. This allows generation of light with arbitrary phase and amplitude, including OAM beams and their superpositions.







DMD



Orbital Angular Momentum, radiation calculation



Orbital Angular Momentum, radiation structure



Electric field at different time and averaged intensity on the screen m=1 m=2

Orbital Angular Momentum



Orbital Angular Momentum on the screen m=1 m=2

$$\begin{split} N_{\rm ph} &= 6\ 10^6\\ E_{\rm ph} &= 8\ {\rm keV} \end{split}$$
 $\frac{dL_z^{OM,rad}}{dV} \approx \frac{m}{4\pi\omega} \left|E_y\right|^2\\ L_z^{OM,rad} &= 1.7\times 10^{-27}\ {\rm J\cdot s} \end{split}$

Electron Energy 25 MeV Electron Charge 1 nC**Electron Radius** 0.1 mm Electron Length $1 \,\mathrm{mm}$ Laser wavelength 800 nm 1 J Laser energy Laser waist 0.02 mm Laser duration 1 ps Repetition rate 10 Hz

Diagnostics of radiation with Orbital Angular Momentum



Topological charge and parity are obtained from the Asymmetric Lateral Coherence (ALC) of radiation, which is a measurement of the real part of the complex degree of coherence Yc with a fixed reference field $E(R, \vartheta_{\alpha})$:

$$\gamma_{c}(R,\theta_{0},\theta_{1}) = \frac{\langle E(R,\theta_{0})E^{*}(R,\theta_{1})\rangle}{\mathcal{N}}$$

Azimuthally-arranged pairs of double slits or pinholes allow measurements of the asymmetric lateral coherence.



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Generation and characterization of optical vortex beams with a Digital Micromirror Device (DMD). Vortices are generated by encoding a corkscrew-like phase modulation on a Gaussian laser beam with computer generated holograms.

Experimental apparatus is used for developments and test of novel diagnostics by scaling from visible light to X-rays.

Simulations of the Asymmetric Lateral Coherence of OAM radiation

• Azimuthal coordinates

