Antimatter-wave interferometry in QUPLAS

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 $d_3 = 6 \,\mu{\rm m}$

The QUPLAS project and its goals		The QUPLAS collaboration [†]
QUantum interferometry and gravity with Positrons and LASers, a staged experiment in antimatter interferometry:		S. Aghion, A. Ariga, T. Ariga, M. Bollani, F. Castelli, S. Cialdi,
• QUPLAS-0: Talbot-Lau interferometry with $10 - 18$ keV positrons (e^+) and electrons (e^-) (1).		K. Edler, A. Ereditato, C. Evans, R. Ferragut, M. Giammarchi,
• QUPLAS-I: Matter wave interferometry on ortho-positronium (ortho-Ps), an unstable ($\tau = 142$ ns) bound state of e^+/e^- .		M. Leone, M. Longhi, G. Maero, S. Olivares, C. Pistillo, M.
• QUPLAS-II: Weak equivalence principle tests on Ps: measurement of g_{Ps} with Talbot-Lau inertial sensing (2).		Potenza, M. Romé, S. Sala, P. Scampoli.
Theory	Application: the QUPLAS-0 interferometer	
The core of QUPLAS: a Talbot-Lau two-grating interferom-	Positron interferometry will be carried out using a continuous e^+ beam housed at the L-NESS laboratory in Como (3).	
eter , with unequal distances $(L, \eta L)$ and grating periods	Positrons produced by a ²² Na radioactive source are moderated by a monocrystalline tungsten film and electrostatically quided with a tunchle energy up to 18 keV	

(d_1, d_2). The **Talbot length** $L_T = rac{a_2}{\lambda}$ is the typical length scale, $\lambda = h/p_y$ being the de Broglie wavelength.



guided, with a **functione energy** up to 18 keV.





Figure 1: Asymmetric Talbot-Lau setup. An external uniform acceleration a acts on the particles. $T_{1,2}$ are the times of flight, assuming rectilinear motion along y.

Under the resonance conditions $\eta = \frac{1}{d_1/d_2 - 1}$ and $L = \frac{d_1}{d_2}L_T$, high contrast fringes appear, with a **magnified period** (2):

 $d_3 = \eta d_1.$

The external force produces a measurable rigid displacement of the interference fringes:

$$\Delta x = a \frac{T_1^2}{2} \eta(\eta + 1),$$

The inertial sensitivity, σ_a/a (relative error on the measured acceleration), depends on the fringe visibility, the integrated flux, N_0 , and the longitudinal velocity distribution.

Considering all this factors **Asymmetric configurations can** be more effective for inertial sensing (2). This is relevant for the QUPLAS-II phase.



 $E_{e^+} \approx 15 \,\mathrm{keV}$

 $\lambda \approx 1 \cdot 10^{-11} \,\mathrm{m}$

Figure 4: Left: picture of the positron beam facility (3); the final section of the vacuum chamber houses the QUPLAS-0 interferometer. Right: scheme of the $\eta = 5$ magnifying Talbot-Lau setup chosen as the optimal configuration for QUPLAS-0.

QUPLAS-0 will exploit **nuclear emulsions** as a position sensitive detector for the micrometric fringes. A new emulsion based detector was developed and tested for this purpose (4):

- Gel enriched in silver bromide crystals ($\sim 55\%$ vol.), on glass substrate for increased stability.
- Samples exposed to the L-NESS beam at various energies, e^+ intensity monitored by two HPGe detectors sensitive to the $511 \,\mathrm{keV}$ gamma signal from annihilation.
- Emulsions analysed at the **automatic microscope scanning facility** of the University of Bern.
- **Detection efficiency** estimated comparing the expected and detected e^+ count.





The diffraction gratings

The Silicon Nitride (SiN) diffraction gratings have been manufactured to our specifications by LumArray, Inc. (a spinoff comopany of the NanoStructures laboratory at MIT) using interferometric litography techniques (5).



Figure 5: Left: Experimental results of a test exposure of emulsion films to the bare e^+ beam (4). Positrons below 9 keV annihilate within the $\approx 1 \, \mu m$ thick protective layer over the active AgBr emulsion. Intrnsic detection efficiency is high and energy independent in the tested range. **Right:** positron beam spot (2D histogram) recorded in a test run of the Talbot-Lau setup, digitized at the Bern microscope scanning facility. The inset shows an example of the raw output from the scanning optical microscope.

Alignment challenges and development of a test electron beam

A Talbot-Lau interferometer produces high contrast interference fringes even with incoherent (i.e. wide and/or poorly collimated) beams. However, the alignment requirements become very strict as coherence decreases (see for example Fig. 6). In our current positron setup we face two main challenges:

- Rotational alignment of the gratings: the slits should be parallel within a tolerance $\sigma_{\phi} \approx 150 \,\mu$ rad. One of the gratings sits on a fully non magnetic piezoelectric rotation stage, and a laser alignment procedure can be performed.
- Positioning of the detector plane: experimental error on the ratio d_2/d_1 propagates to an uncertainty on the expected location of the interference fringes on the y-axis (the η parameter), at the level of a few mm.

Although a moving (or tilted) emulsion detector can be used to perform a scan on the sensitive parameters, real time detection is helpful.

An electron beam is being developed at the Plasma physics laboratory in Milan to serve as a test bed for real time detectors with a more coherent and intense (pprox 1 imes 10 9 s $^{-1}$) beam, and to study in detail the influence of beam coherence on interferometric visibility.





Figure 6: Left: evolution along the optical axis (as an heatmap) of the intensity signal, using a realistic model for the e^+ beam. Sections taken along the y-axis are the interference fringes to be detected. Peak contrast is high ($\approx 95\%$) at the optimal observation distance (dotted line), decreasing rapidly over a distance σ_z . Reduction of the beam width w, for example via mechanical collimation, greatly increases σ_z , at the expense of intensity. **Right:** picture of the electron beam setup.



Figure 3: Top: SEM image of the free standing 600 nm thick SiN membrane. The $d = 1.2 \,\mu\text{m}$ slits run horizontally, with a 7 μm periodic support structure in the orthogonal direction. **Bottom left:** The 3×3 mm² wide membrane is clearly visible on a mounted grating. Bottom right: at optical wavelengths, far field diffraction can be exploited for rotational alignment.



References

(1) S. Sala et al. Matter-wave interferometry: towards antimatter interferometers. J. Phys. B, 48: 195002, 2015. (2) S. Sala et al. Asymmetric Talbot-Lau interferometry for inertial sensing. *Phys. Rev. A*, 94:033625, Sep 2016. (3) http://lness.como.polimi.it/positron.php. (4) S. Aghion et al. Detection of low energy antimatter with emulsions. *JINST*, 11(06):P06017, 2016.

(5) T. A. Savas et al. Large-area achromatic interferometric lithography for 100nm period gratings and grids. J. Vac. Sci. Technol., B, 14(6):4167-4170, 1996.